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220201 (210100)

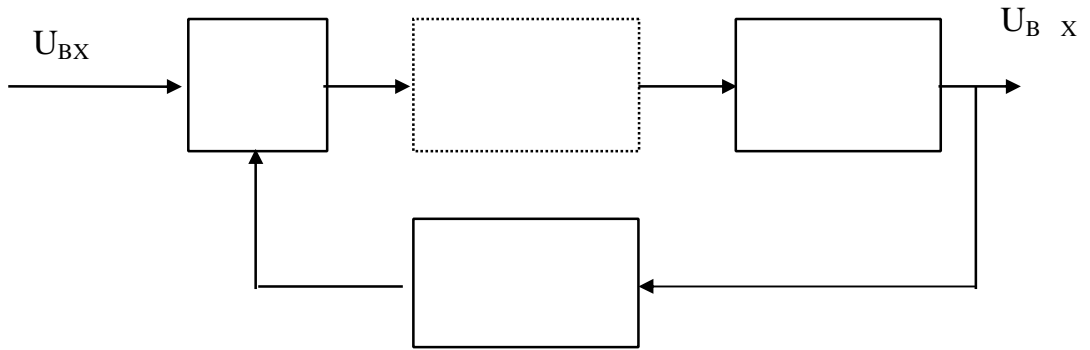
- () c f < 20 ;
 - () () c Δf ∈ [20 - 20];
 - () c Δf ∈ [100 - 100];
 - c Δf ∈ [1 - 1];
 - ;
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 - , .
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 - () .
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 - () - .
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 - - (f f), (;
 - () - ;
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 - - () - ;
 - - () - ;
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3. , .



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2.

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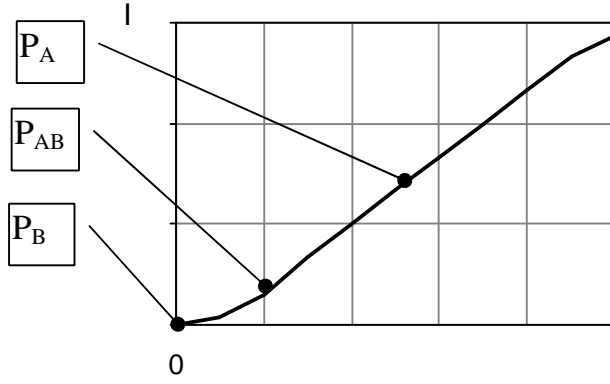
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(High-End,).

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A



.2.

P_B

P_{AB}

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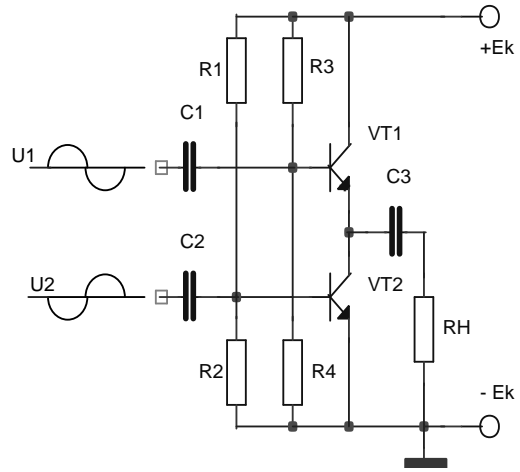
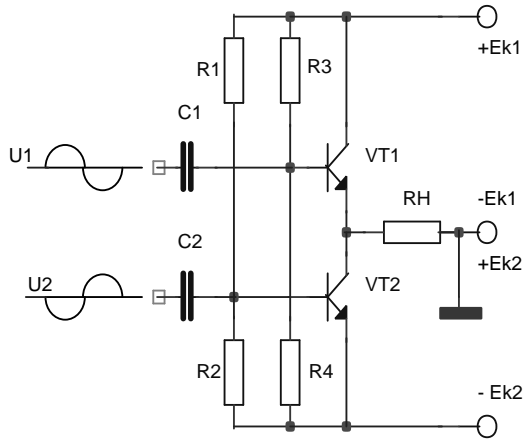
b k_2 (.3,),

VT_1, VT_2

R_1, R_2, R_3 R_4

U_2 ,

U_1

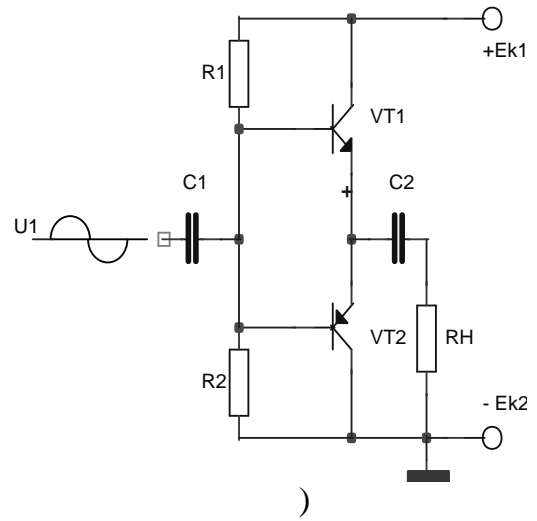
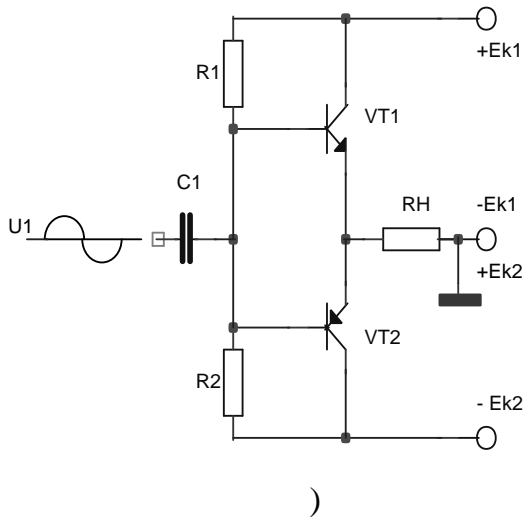


)
 .3

)
 .3,

\dot{V}_{T_1} V_2
 \dot{V}_{T_2} \dot{V}_{T_1}
 , (.3,)
 3
 \dot{U}_1
 U_2 3 0,5 \dot{U}_1
 () V_{T_1} , R i_{I_1} , R
 \dot{i}_{k2} 3 V_{T_2} , , R
 : V_{T_1} , - OK, a , V_{T_2} ; - V_{T_1} , V_{T_2}

2.1



.4

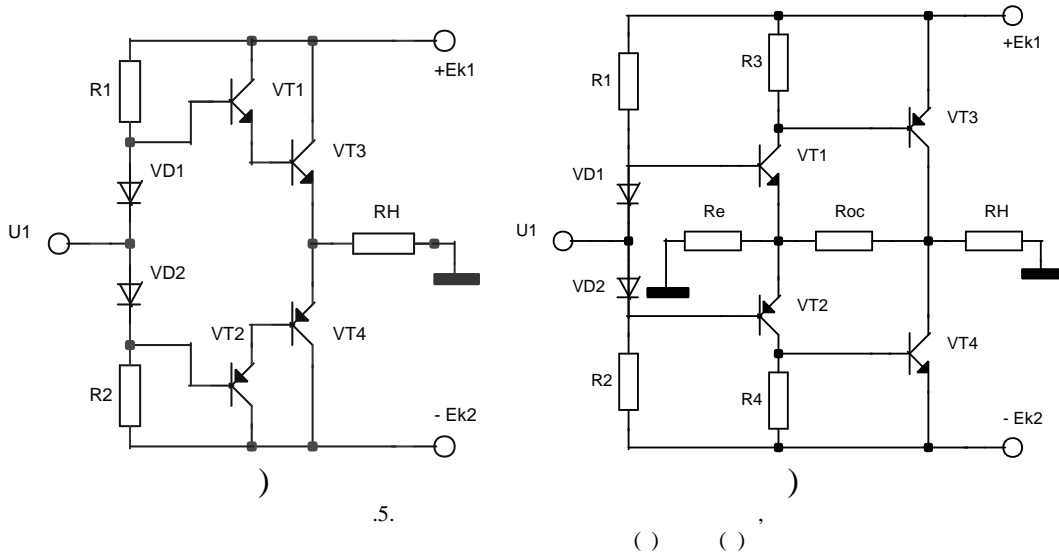
.4, - .4,

.4

VT_2 VT_1 VT_1 VT_2

.3.

1,



5, $R_3, R_4 (\sim 100 \Omega)$, $R_{OC} \rightarrow \infty$

B_{I-} (h21), $R - VT_1, VT_2$.

$$K_{U MAX} = B_{c1} * \frac{R_H}{R_e}, \tag{1}$$

$K_U \ll K_{U MAX}$ K_U 2...3, :

$$K_U \approx 1 + \frac{R_{OC}}{R_e}. \tag{2}$$

R_1, R_2 , VD_1, VD_2 , .5.
 , R_1, R_2 , VT_1 , VD_1 .
 VT_2 , VD_2 ,
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 :
 $U_{H \max} = 2 \cdot P / I$; $R = U_{H \max} / I$, (3)
 $U_{H \max}$ - R .

$$(2..2.5)' \quad U_{H \max} \quad (n)$$

$$\geq U_{H \max} + (2..2.5) * n. \quad (4)$$

2

$$I_{K \max} = I_{H \max} = \frac{U_{H \max}}{R_H}, \quad (5)$$

$I_{H \max}$ -

$$P_{\max} = \frac{E^2}{\pi^2 \cdot R}, \quad (6.)$$

- () - $\{f_{h21}, f\}$;
 - $- I_{Kmax}$;
 - U_{max} ;
 - P_{Kmax} ;
 - $\{h_{21}, \beta\}$.

$$\left\{ \begin{array}{l} f_{h21} \geq 2f ; \\ I_{\max} \geq I_{\max} ; \\ U_{\max} \geq 2E; \\ P_{\max} \geq P_{\max} . \end{array} \right\} \quad (7)$$

), , ... (

: 814... 819, 825... 827 ...

$$I_K = \frac{E}{R_H}; \quad (8)$$

I_K

$$I_{max} = \frac{I_{Kmax}}{B}. \quad (9)$$

$$\left(\begin{array}{c} I_{max} \\ - \\ U_{max} \end{array} \right) I = f(U)$$

() I U ,
p-n

$$I = I_0 * \left[\exp\left(\frac{U}{n * \phi_T}\right) - 1 \right], \quad (10)$$

$$I = \frac{I_0}{\exp\left(\frac{U}{n * \phi_T}\right)}. \quad (11)$$

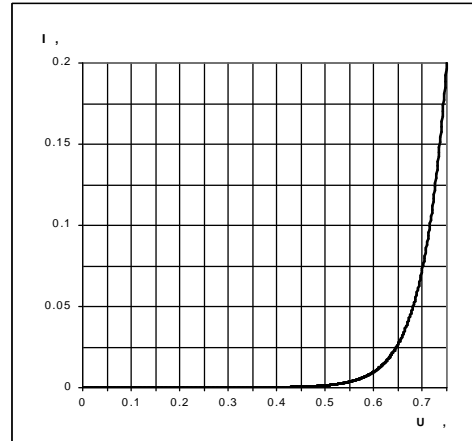
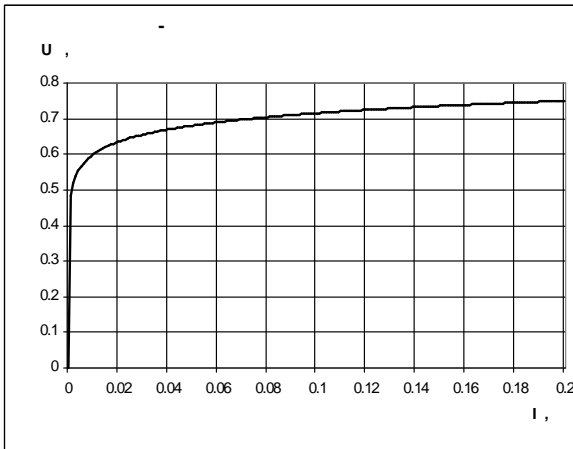
, $\phi_T = kT/q$ -
25 0.025), n -
($n=2$, p-n
>2.)

(10,11)

U

$$U = n \cdot \phi_T \cdot \ln \left[1 + \frac{I}{I_s} \cdot \left(\exp \frac{U}{n \cdot \phi_T} - 1 \right) \right]. \quad (12)$$

$$U_s = 0,75, I_s = 0,2$$



.6

p-n

Parts

Excel,
PSpice.

$$U_{\max} = U_{\max} + I_{K \max} \cdot R_H. \quad (13)$$

$$R_{\text{int}} \approx B \cdot R_H. \quad (14)$$

R_{int} (R1 R2 .5).

$$R = \frac{E - U_{\max}}{I_{\max}}, \quad (15)$$

$$R = R_{\text{int}} \parallel R \quad (16)$$

2

R

(VT1, VT2 .5),

$$I_{\max} \geq I_{\max} \quad (17)$$

" " " "

$$U_K \quad (7).$$

R :

$$I_{K \max} = \frac{I_{K \max o}}{B} \quad (18)$$

$$P_{\max} = \frac{E^2}{\pi^2 \cdot R_H \cdot B} \quad (19)$$

R₁₂

$$R \approx R_H \cdot B \cdot B \quad (20)$$

$$I_{\max} = \frac{I_{K \max}}{B} \quad (21)$$

B -

I_{max}

U_{max}

$$U_{\max} = U_{\max} + U_{\max} + I_{K \max} \cdot R_H \quad (22)$$

$$R_{\text{total}} = R_{\text{int}} \parallel R_{\text{ext}}, \quad (23)$$

$$R_{\text{int}} = \frac{E - U_{\text{max}}}{I_{\text{max}}}. \quad (24)$$

12...14 .

±15 .

$$K_{U \text{ MAX}} = B_{C1} * R_H / R_e, \quad (25)$$

(B_{I-}) (h21).

$U \sim 2,0..2,5$

$$K_U \ll K_{U \text{ MAX}} .$$

$$U = U_H / K_U \quad (26)$$

$$R = U / I_{\text{max}} \quad (27)$$

$$R_e = R / B_C, \quad R_{OC} = (K_U - 1) * R_e. \quad (28)$$

(23, 24).

R_d ,

$$R \cdot 2 / R - 2 < R_d < R_d$$

U_{CM} .

$$I = \frac{E - n \cdot U}{R}, \tag{29}$$

$U - n - (\approx 0,6)$.

I

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-
-

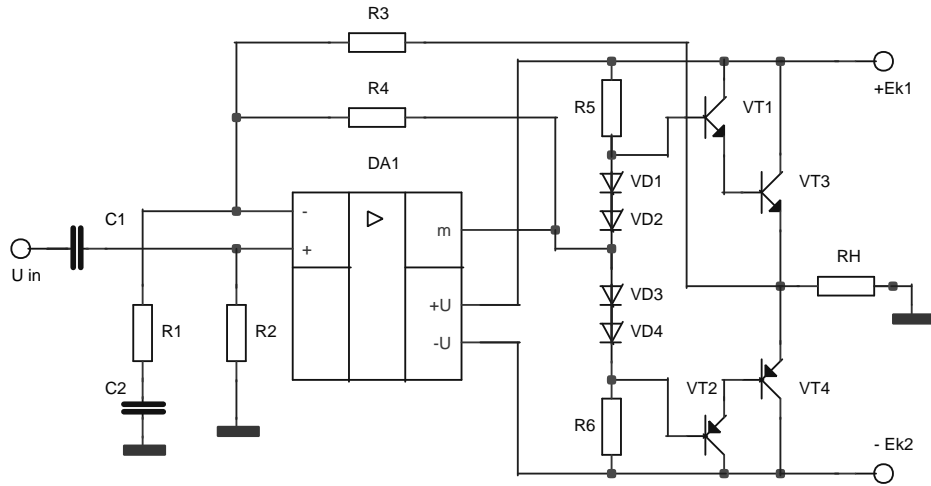
I ;
 f_{max} ;

U ;

: 103, 503, 521.

I

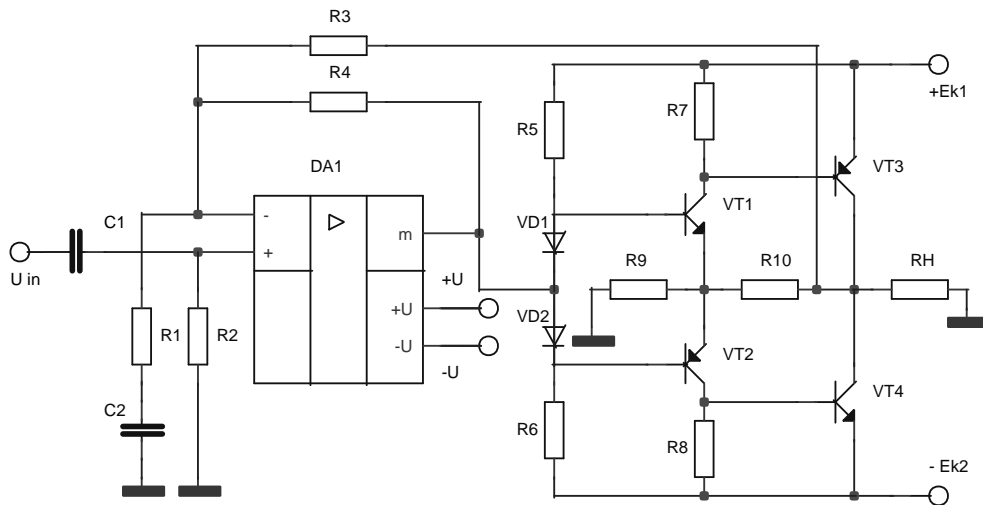
.7.



7.

R_1, R_2, R_4 , DA_1 , R_3, R_1, C_2 , Ek_1, Ek_2 , C_1 -
 VT_1, VT_2 , VT_3, VT_4 , $VD_1 \dots VD_4$

8.



8.

3.

() :
 ($R > R_H$);
 ($U_{max} < U$);

; (1408', 1,544 1,574 1...):
 ; U ;
 R
 I max;
 U_{CM};
 R I ;
 f₁;
 U ... ;
 ...

$$K_{Uoc} = \frac{U_{H \max}}{U_{BX \max}}, \quad (30)$$

U_{max}
 (3), U_{max} -

$$K_{Uoc} = \frac{K_U}{1 - (-\gamma \cdot K_U)} = \frac{K_U}{1 + \gamma \cdot K_U}, \quad (31)$$

$\gamma \cdot U -$;

$$\gamma \cdot K_U = \frac{\frac{dK_U}{K_U}}{\frac{dK_{Uoc}}{K_{Uoc}}} - 1, \quad (32)$$

$$\frac{dK_U}{K_U} \approx 0,3 \dots 0,5,$$

$$: \frac{dK_{Uoc}}{K_{Uoc}} = q_{K_{Uoc}}$$

$$: K_U = K_{Uoc} \cdot (1 + \gamma \cdot K_U).$$

(2...3)

()

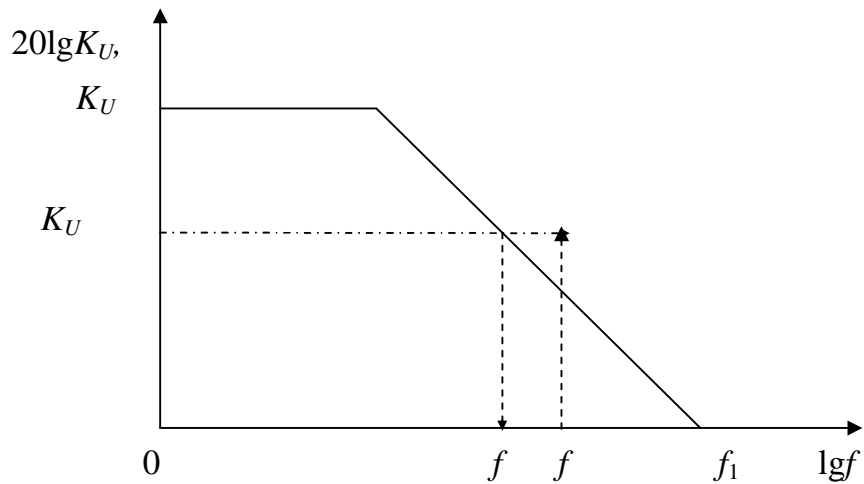
(. . . 9),

;

-20 /

U

f₁



.9

: $f_{-} < f_{+}$), f_{-} (f_{+}) .9, f_{-} , f_{+}) .

$$K_U = K_{U1} \cdot K_{U2} \cdots K_{U1} \quad (33)$$

$$K_{U(1,2)} = 1 + \frac{R_{oc(1,2)}}{R_{1(1,2)}} \quad (34)$$

U2 , U1

$$(40 \quad / \quad)$$

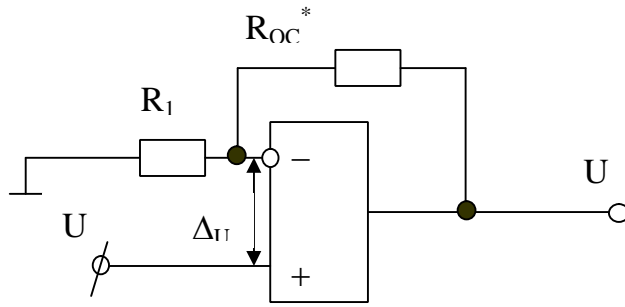
4.

$$K_{Uoc} = \frac{K_U}{1 + \gamma \cdot K_U}$$

$$\gamma = K_U \cdot \gamma / K_U \quad .10 \quad R_{oc}^*$$

$$K_{Uoc} = \frac{U}{U} = 1 + \frac{R_{oc}^*}{R_I} \quad (35)$$

$$K_U \rightarrow \infty \quad \Delta_U \rightarrow 0.$$



.10.

$$q_{K_{Uoc}} = \frac{dK_{Uoc}}{K_{Uoc}}; \quad (36)$$

$$dK_{Uoc} = \frac{\partial K_{Uoc}}{\partial R_1} \cdot \Delta R_1 + \frac{\partial K_{Uoc}}{\partial R_{OC}^*} \cdot \Delta R_{OC}^*, \quad (37)$$

$$\frac{\partial K_{Uoc}}{\partial R_1} = -\frac{R_{OC}^*}{R_1^2} \quad \frac{\partial K_{Uoc}}{\partial R_{OC}^*} = \frac{1}{R_1}, \quad (38)$$

$$dK_{Uoc} = -\frac{R_{OC}^*}{R_1^2} \cdot \Delta R_1 + \frac{1}{R_1} \cdot \Delta R_{OC}^*. \quad (39)$$

$$q_{K_{Uoc}} = -\frac{R_{OC}^* \cdot \Delta R_1}{(R_1 + R_{OC}^*) R_1} + \frac{\Delta R_{OC}^*}{R_1 + R_{OC}^*}. \quad (40)$$

$$R_{OC}^* (R_3 \quad .7. \quad .8).$$

$$R_1 \left(\frac{\Delta R_1}{R_1} \right)$$

() ,

$$\left(\frac{\Delta R_{OC}^*}{R_{OC}^*} \right).$$

$\frac{\Delta R_1}{R_1}$
 $\frac{\Delta R_{oc}^*}{R_{oc}^*} < 0,$
 $\frac{\Delta R_1}{R_1} - 5\%$
 $\frac{\Delta R_{oc}^*}{R_{oc}^*}$
 $\frac{\Delta R_1}{R_1}$
 $(0,05)$. . ,
 $R_{oc}^* R_1$
 $2-33, 2-36$
 $\pm 5\%$ $+10\%$ $2-29$
 $< 1\%$.

4.1.

;
 ;
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 ;
 R_1 (. .10.)
 $P_1 = I_1^2 \cdot R_1,$ $I_1 -$
 $I_1 = I' + I''$:

$$I' = \frac{U}{R_1 + R_{oc1}} \quad (41)$$
 $R_1 R_1 (R_1 R_4$. 7),
 ; U -

$$I'' = \frac{U_{max}}{R_{oc}^* + R_1} \quad (42)$$
 $R_1 R^* (R_1 R_3$ 7.);
 R_1
 $oc1 = (I')^2 \cdot R_{oc1}.$
 ,
) ,

$$I_2 = \frac{U}{R_2 + R_{OC2}}.$$

(E6,E12,E24).

±5%.

$$\geq \frac{1}{\omega \cdot (R + R) \cdot \sqrt{\omega^2 - 1}}, \quad (43)$$

$\omega = 2\pi f_H -$;
 $R -$;
 $R -$;

$$\geq \frac{1}{\omega \cdot R_1 \cdot \sqrt{\omega^2 - 1}}, \quad (44)$$

$R_1 -$ (.10), -

$$M = \sqrt{M} = \sqrt[3]{M} \quad (45)$$

(45)

(43)

R_2

$$R_2 = R_1 \parallel R_3 \parallel R_4. \quad (46)$$

$R \dots$
 R_2
 DA1 (.7, 8).
 $:$

(E6).

4.2.

$$\begin{aligned} &= \sqrt{1 + (\omega \cdot \tau)^2}, & (47) \\ \omega &= 2\pi f - \\ \tau &= \tau_\beta + \tau - \\ \tau_\beta &= \frac{1}{2 \cdot \pi \cdot f} - \\ & \left(\tau = \frac{1}{2 \cdot \pi \cdot f} \cdot R_H - \right); \\ R_H &= \end{aligned}$$

$$R_H$$

$$= \prod_{i=1}^n i \quad (48)$$

5.

.1.

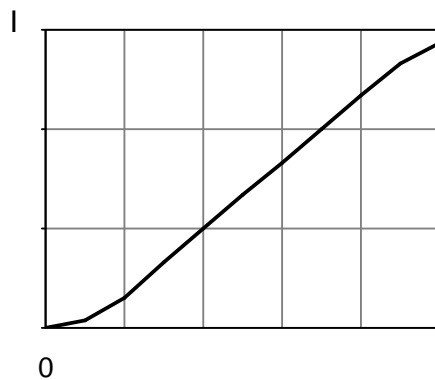
I_{KO}	U	I	U	I	U	...	E
0	0	0	0	0	0	...	0
...
$I_{KO} = I_{max}$	U_{max}	I_{max}	U_{max}	I_{max}	U_{max}	...	E_{max}

$$\begin{aligned}
 U &= I_{KO} \cdot R, \\
 I &= I_{KO} / B, \\
 U &= f(I), \\
 I &= I_K / B, \\
 U &= f(I),
 \end{aligned}
 \tag{49}$$

10,

$$E = U + U + U + \dots \tag{50}$$

E_i), I_{KOi} E_i (I_{KOi} , (. 11).



.11.

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5.1

1%

(.12.)

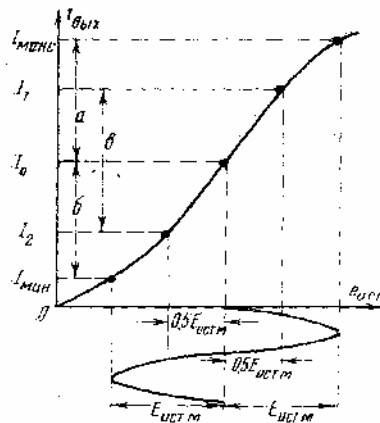
- 1)
- 2)
- 3)
- 4)
- 5)

0,5

- 0,5

I , I₁, I₀,

I₂, I .



.12.

(, ,)

:

$$I = \frac{[(I_{M\text{ENH}} + I_{M\text{UH}} + 2(I_1 + I_2))]}{6}; \quad (51)$$

$$I_{1m} = \frac{[(I_{M\text{ENH}} - I_{M\text{UH}} + I_1 - I_2)]}{3} \quad (52)$$

$$I_{2m} = \frac{[I_{M\text{ENH}} + I_{M\text{UH}} - 2I_0]}{4} \quad (53)$$

$$I_{3m} = \frac{[(I_{M\text{ENH}} - I_{M\text{UH}} - 2(I_1 - I_2))]}{6}; \quad (54)$$

$$I_{4m} = \frac{[(I_{M\text{ENH}} + I_{M\text{UH}} - 4(I_1 + I_2) + 6I_0)]}{12}; \quad (55)$$

$$I + I_1 + I_2 + I_3 + I_4 = I \quad (56)$$

:

$$K = \frac{\sqrt{I_{2m}^2 + I_{3m}^2 + I_{4m}^2 \dots}}{I_{1m}}. \quad (57)$$

,

.

$$K = \frac{K}{1 + K \gamma} \quad (58)$$

5.2

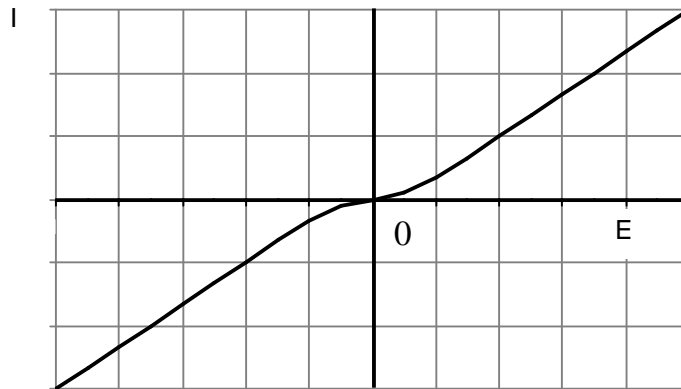
.13, 14

I' I''

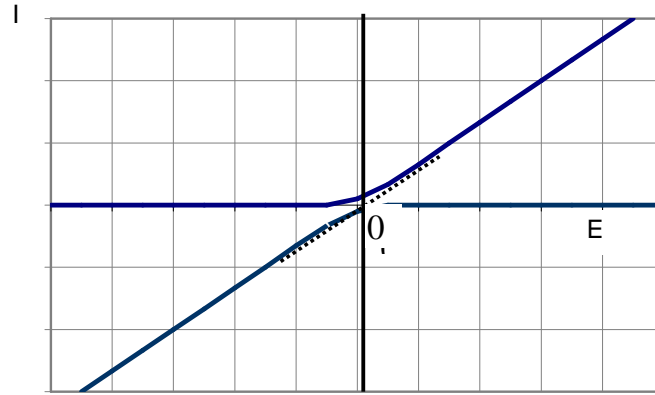
$v = \frac{I'}{I''} - 1$

I , (51-55), I_0, I_1, I_2

$(1-v/2)$: $(1+v/2)$



v
 .
 (v),
 , v 0,1.



.14.

v 0,3 – 0,5.

v

) ,

,

$h_{21}(\beta)$;

v

0,2.

, — ;

I I_1

,

, — ;

I I_1

,

I I_2 —

, I I_2

I I_1

.

, I' , I_1' , I_0' ,

-

I , I_0 , I_1 , I_2 , I ,

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:

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,

$$\begin{aligned} I &= I' \left(1 + \frac{v}{2}\right); \quad I_1 = I_1' \left(1 + \frac{v}{2}\right); \\ I_0 &= v I_0'; \quad I_2 = -I_1' \left(1 - \frac{v}{2}\right); \quad I' = -I' \left(1 - \frac{v}{2}\right); \end{aligned} \quad (59)$$

$$E = I \cdot R + U_1 + U_2 + \dots + U_N, \quad (59)$$

$$(58)$$

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➤ ;
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➤ ;
➤ ;

8.

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- 9.
- 10.
- 11.
- 12.

1. / , 2004, 152 .
2. : / ; , 1992.-108 .
3. () : / , : , 2000.-768 .
4. : / - 2. , 1993.- 382 .
5. : C / , ; - : , 1985 - 560 .
6. / , ; ; - : , 1983. - 576 .
7. , , , / , , - : , 1994.- 591 .
8. : , , ; : , 1982. - 744 .
9. : , 1982. - 904 .
10. : , 1999.-528 .
11. , : , 1992.- 622 .
12. „ : , 1982.- 512 .
13. : 3- : - 4- - : , 1993